

Our approach to the RERS challenge 2020

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Rigorous Examination of Reactive Systems

- Every year since 2012
- Several categories:
 - Sequential systems (C programs) : reachability, LTL
 - Parallel systems (Networks of automata) : CTL, LTL
- Competition flow:
 - Organizers release problems of various complexities built by property-preserving transformations of smaller systems
 - Participants have 4-6 weeks to solve the problems and submit results
 - Two categories of medals (gold, silver, bronze) are awarded during the event: **achievements** and **ranking**
 - Participants also give a talk where they explain their approach
- In 2019, we won all gold medals in the parallel LTL and parallel CTL categories with 100 % success using CADP

Our participation in RERS 2020

- Category: parallel CTL
- Main tool: CADP (cadp.inria.fr)
- Auxiliary tools:
 - PMC (convecs.inria.fr/software/pmc)
Partial model checking on top of CADP
 - KandISTI/FMC (fmt.isti.cnr.it/kandisti)
Cross-checking of CTL results
- We lacked time to tackle parallel LTL: not at the core of CADP, requires craftwork



The CADP toolbox

<http://cadp.inria.fr>



- Developed by Inria/CONVECS for more than 30 years
- **Model & equivalence checking, rapid prototyping, test case generation, ...** (> 80 tools and libraries)
- **Enumerative techniques:** LTS model
- Main languages and tools used in this work:
 - **LNT** system description language,
 - **MCL** property description language,
 - **GENERATOR/DISTRIBUTOR** state space generators,
 - **EVALUATOR** model checker,
 - **BCG_MIN** LTS minimizer,
 - **SVL** scripting language and compiler, ...

RERS parallel verification tasks

- System description $P_1 || \dots || P_n$
 - 9 system descriptions 101 to 109
from 5 to 16 parallel processes P1, P2, ...
from 26 to 75 actions L0, L1, ...
 - Synchronization on the intersection of actions
 - We used the DOT representation provided by the organizers, automatically translated to LNT
- Property φ
 - 10 CTL properties for each system description
from 10X#01 to 10X#10

Process reduction

Given a (mu-calculus, or CTL) formula φ

- extract from φ the maximal set of actions that can be hidden in the system [MW14]...
- extract from φ a set of so-called *strong actions*, defining a *sharp* bisimulation relation, stronger than branching and weaker than strong [LMM20]...

... so that hiding + reduction preserve φ

Applied whenever possible

[MW14] R. Mateescu, A. Wijs. *Property-Dependent Reductions Adequate With Divergence-Sensitive Branching Bisimilarity*. SCP, 2014.

[LMM20] F. Lang, R. Mateescu, F. Mazzanti. *Sharp Congruences Adequate with Temporal Logics Combining Weak and Strong Modalities*. TACAS, 2020.

1st attempt: On-the-fly verification

- Using the Evaluator model checker of CADP
- Successful on 48/90 (53 %) problems:
 - Problem 101: 10/10
 - Problem 102: 8/10 (all but 102#{07,08})
 - Problem 103: 9/10 (all but 103#02)
 - Problem 104: 2/10 (104#{04,09})
 - Problem 105: 3/10 (105#{02,03,04})
 - Problem 106: 2/10 (106#{01,07})
 - Problem 107: 3/10 (107#{01,09,10})
 - Problem 108: 7/10 (all but 108#{02,07,08})
 - Problem 109: 4/10 (109#{01,04,06,10})

SVL script example: 101#02

Property **AF** (A ([**L1**] **false** W < **L9** > **true**)) Visible: **L1, L9** Strong: **L9**

"problem.exp" = leaf sharp reduction hold L9 of
hide all but L1, L9 in

par

L0, L1, L3, L4, L6, L7, L8, L25, L26 -> P1

|| L0, L1, L3, L4, L6, L7, L8, L11, L13 -> P2

|| L11, L13, L14, L15, L16, L20, L22, L23, L24 -> P3

|| L14, L15, L16, L17, L18, L23, L24, L25, L26 -> P4

|| L17, L18, L20, L22 -> P5

end par

end hide;

"problem.exp" \models AF (AW (["L1"] false, < "L9" > true));

all but L0, ..., L26 and L1, L9
are automatically hidden in
P1, which is then reduced with
respect to sharp bisimulation

2nd attempt: Partial model checking

- Following [Anderson-95]: Iteratively turn the check $P_1 \parallel \dots \parallel P_n \models \varphi$ into $P_2 \parallel \dots \parallel P_n \models \varphi // P_1$ (quotienting) until quotient gets a true/false value
- Successful on 30/42 (71%) remaining problems
 - Problem 102: 2/2
 - Problem 103: 1/1
 - Problem 104: 8/8
 - Problem 105: 7/7
 - Problem 106: 4/8 (all but 106#{03,04,06,10})
 - Problem 107: 5/7 (all but 107#{05,06})
 - Problem 108: 1/3 (108#08)
 - Problem 109: 2/6 (109#{02,09})

SVL script example: 102#07

Property **AF** ((**< L9 > true**) \wedge **AG** ([**L6**] **false**)) Visible: **L6, L9** Strong: **L9**

"problem.exp" = leaf sharp reduction hold L9 of
hide all but L6, L9 in

par

L0, L2, L3, L6, L7, L8, L9, L30, L31 -> P1

|| L0, L2, L3, L6, L7, L8, L9, L10, L11 -> P2

|| L10, L11, L12, L13, L19, L20, L21, L22 -> P3

|| L12, L13, L15, L17, L18, L21, L22, L23, L24, L25 -> P4

|| L15, L17, L18, L19, L20 -> P5

|| L23, L24, L25, L26, L27 -> P6

|| L26, L27, L30, L31 -> P7

end par

end hide;

% pmc -leftright -orelim "problem.exp" "problem102_07.mcl"

-orelim to save time and memory
(otherwise check does not succeed)

Remarks

- Some properties were simplified taking into account other results

Example:

- 106#05: « $\text{AG} ([L0] \text{false})$ » is TRUE
- Thus, 5 properties of problem 106 using L0 can be simplified
e.g., 106#02: $\text{A} ((\langle L1 \rangle \text{true}) \Rightarrow \text{A} ([L8] \text{false} \text{U} \langle L0 \rangle \text{true}) \text{W} \langle L7 \rangle \text{true})$
becomes $\text{A} ([L1] \text{false} \text{W} \langle L7 \rangle \text{true})$
- This allows more labels to be hidden / less labels defined as strong
e.g., 106#02: L8 hidden, L1 not strong \Rightarrow greater reduction
- For properties of the form $\text{AG} ([Lx] \text{false})$, we minimized the processes wrt. safety equivalence (weaker relation than sharp)
- Invariance properties of the form $\text{AG} (\varphi_1 \wedge \varphi_2)$ were split into independent invariance properties: $\text{AG} (\varphi_1)$ and $\text{AG} (\varphi_2)$

Other attempts

- **106#06** solved by reasoning and searching a counterexample using interactive simulation
- We also tried distributed state space generation using CADP on the Grid'5000 platform
- But state spaces remained too big, even using compositional reduction (billions of states)



Comparison with RERS 2019

- In 2019:
 - All examples could be verified fastly using compositional sharp reduction (smart heuristic)
 - On-the-fly verification was less successful than in 2020
 - Partial model checking was not even tried because of the success of compositional verification
- In 2020, the problems evolved:
 - Processes are larger
 - There is less concurrency (up to 16 // processes instead of 70)
 - The branching factor and nondeterminism are higher
 - This probably limits the « confluence » of concurrent transitions eliminable by sharp bisimulation

Conclusions

- Gold medals (achievement and ranking), no bad answer
- We found RERS 2020 much harder than RERS 2019
 - 0/180 problems remained unsolved in 2019
 - 11/90 (12%) problems remained unsolved in 2020
(106#{03,04,10}, 107#{05,06}, 108#{02,07}, 109#{03,05,07,08})
- As ever, techniques are complementary: what works on some problems may not work on others
- Sharp bisimulation reduction remains very useful
- But we did not yet implement full minimization...
Don't know if results would have been better